PHYSICS

- Q.1 When a galvanometer is shunted with a 4Ω resistance, the deflection is reduced to one-fifth. If the galvanometer is further shunted with a 2Ω wire. the further reduction (find the ratio of decrease in current to the previous current) in the deflection will be (the main current remains the same)
 - (A) (8/13) of the deflection when shunted with 4Ω only
 - (B) (5/13) of the deflection when shunted with 4 Ω only
 - (C) (3/4) of the deflection when shunted with 4 Ω only
 - (D)(3/13) of the deflection when shunted with 4Ω only [A]

Sol.

$$R_{g} \times \frac{I}{5} = \left(I - \frac{I}{5}\right) \times 4$$
$$\Rightarrow R_{g} = 16 \Omega$$

Case II

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Case I

$$I = \frac{I}{6} I_{1} = \frac{4 \times 2}{6} (I - I_{1}) \Rightarrow I_{1} = I/13$$

So decrease in current to previous current
$$= \frac{I/5 - I/13}{I/5} = \frac{8}{13}$$

0.2 of emf 1V and internal Three batteries resistance 1 Ω each are connected as shown. emf of combination between the Effective points PQ is





Q.3 In an experiment according to set up, when $E_1 =$ 12 volt and internal resistance zero, E = 2 volt. The galvanometer reads zero, then X would be-



Q.4 The resistances in wheat stone's bridge circuit shown in the fig. have different values. The current through, the galvanometer is zero. If all the thermal effects are negligible. The current through the galvanometer will not be zero. When -



- (A) the battery emf is doubled
- (B) the battery and galvanometer are interchanged
- (C) all resistance in the circuits are doubled
- (D) resistance R₁ and R₂ are interchanged [D]

Q.5 Equivalent resistance between the points A and B is –



Q.6 By using only two resistors—single, in series or in parallel — you are able to obtain resistances 3, 4, 12 and 16 Ω . What are the separate resistances of the resistors ?

(Α) 3 Ω, 4 Ω	(Β) 4 Ω, 12 Ω	
(C) 12 Ω, 16 Ω	(D) 3 Ω, 16 Ω	[B]

Sol.

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Q.7 If ammeter has zero resistance then –

(A) Reading of ammeter is
$$\frac{\varepsilon}{6R}$$

(B) Reading of ammeter is $\frac{\varepsilon}{7R}$
(C) Reading of ammeter is $\frac{\varepsilon}{8R}$
(D) Reading of ammeter is $\frac{\varepsilon}{9R}$
(B) Reading of ammeter is $\frac{\varepsilon}{8R}$
(D) Reading of ammeter is $\frac{\varepsilon}{9R}$
(B) Reading of ammeter is $\frac{\varepsilon}{9R}$

Q.8 In the circuit shown, the coil has inductance and resistance. When X is joined to Y, the time constant is τ during growth of current. When the

steady state is reached, rate of production of heat in the coil is "P" joule/sec. X is now joined to Z, and after long time of joining X to Z -



Energy stored in the coil = $\frac{1}{2}$ $LI_0^2 = \frac{1}{2}$ $L\left(\frac{E^2}{R^2}\right)$

$$= \frac{1}{2} \left(\frac{L}{R}\right) \left(\frac{E^2}{R}\right) = \frac{1}{2} \tau P$$

= total heat produced in the coil

Q.9 All the bulbs below are identical. Which bulb(s) light(s) most brightly ?



Q. 10 In the given circuit, the voltmeter reading is 4.5 V. Assuming that the voltmeter is ideal, current through 12Ω resistance is -



(A) 1 A	(B) 0.5 A	
(C) 0.25 A	(D) 0.1 A	

Sol.

[B]

The voltmeter is ideal, its resistance $R_v \rightarrow \infty$ Fig. shows the current distribution in the circuit . Voltmeter will not draw any current.



Potential difference across 9 Ω resistance = 4.5 V (given) Hence, current in 9 Ω resistance = $\frac{4.5}{9} = 0.5 \text{ A} (\text{I} = \frac{\text{V}}{\text{R}})$

i.e., $I'_1 = 0.5 A$

The same current (I_1) passes through 3Ω . Obviously, 9 Ω and 3 Ω are in series and their equivalent, i.e., 12Ω is in parallel with 6 Ω between A and B. Dividing the current in the inverse ratio of resistances between A and B,

$$\frac{I_1}{I_1^{"}} = \frac{6}{12} = \frac{1}{2}$$
$$I_1^{"} = 2I_1^{'} = 2 \times 0.5 = 1 \text{ A}$$

and $I_1 = I_1^{'} + I_1^{''} = 0.5 + 1 = 1.5 A$

at junction C, I₁ divides into three parts. Since the resistances 10 Ω , 12 Ω , 15 Ω are in parallel between C and D, current will distribute in the inverse ratio of resistances.

$$\therefore I_2' : I_2'' : I_2'' = \frac{1}{10} : \frac{1}{12} : \frac{1}{15} = 6 : 5 : 4$$

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$$I_{2} = \frac{5}{15} \times 1.5 = 0.5 \text{ amp}$$
So $I_{2} = 6k$, $I_{2} = 5k$, $I_{2} = 4k$
(k being a constant of proportionality)
and $I_{1} = I_{2} + I_{2} + I_{2} = 15k$
but $I_{1} = 1.5 \text{ A}$
 $\therefore 15 \text{ k} = 1.5$
or $k = 0.1$
so $I_{2} = 5k = 0.5 \text{ A}$
Thus current through 12Ω resistance is 0.5 A

Q.11 An accumulator battery B of e.m.f E and internal resistance r being charged from a DC supply whose terminals are T_1 and T_2 The connecting wires have uniform resistance.



Moving from T_1 to T_2 through B, the potential V is plotted against distance x. The correct curve is -



Q.12 In the circuit shown, each resistance is 2Ω . The potential V₁ as indicated in the circuit, is equal to –



Sol.

$$i=\frac{7V}{7\Omega}\,=1\;A$$

Current flows in anticlockwise direction in the loop. Therefore $0-1\times 2-1\times 2-5=V_1$ $V_1=-9V$

Q.13 Two resistances, a 60 ohm and an unknown one are connected to a power source in a series arrangement. This way the power of the unknown resistance is 60 watt. What is the least voltage of the power source ?

(A) 60 Volt	(B) 120 Volt
(C) 140 Volt	(D) 180 Volt

Sol. [B]



Q. 14 If all meters are ideal and reading of voltmeter 3



= 29.7 or 30 Watt

Potential difference across 30 W =
$$\left(\frac{6}{10} + \frac{6}{20}\right) \times 30$$

Q.15 Eight resistances each of resistance 5Ω are connected in the circuit as shown in figure. The equivalent resistance between A and B is –



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$$\therefore R_{AB} = \frac{8}{3}\Omega$$

Q. 16 Six resistances are connected as shown here. The effective resistance between points A and B is –



Sol. Just disconnect 'R' between A & B unfold the ckt. and reconnect 'R' between A & B



Now it is balanced wheat stone bridge

Q.17 Two wires A and B of the same material, having radii in the ratio 1 : 2 and carry currents in he ratio 4 : 1. The ratio of drift speed of electrons in A and B is -

 (\mathbf{B})

Sol. $I = neAv_d$ $Vd \propto \frac{I}{r^2}$

Q.18 In copper, each copper atom releases one electron. If a current of 1.1 A is flowing in the copper wire of uniform cross-sectional area of diameter 1 mm, then drift velocity of electrons will approximately be-

(Density of copper = 9×10^3 kg /m³, Atomic weight of copper = 63) (A) 10.3 mm/s (B) 0.1 mm/s

(C)
$$0.2 \text{ mm/s}$$
 (D) 0.2 cm/s [B]

Q.19 If a copper wire is stretched to make it 0.1% longer, then the percentage change in resistance is approximately -

(A) 0.1% (B) 0.2% (C) 0.4% (D) 0.8% **[B]**

$$R = \frac{\rho \ell}{A} , m = A \ell d$$

$$\therefore R = \frac{\rho \ell (\ell d)}{m} \quad \therefore R \propto \ell^{2}$$

$$\therefore \frac{\Delta R}{R} \times 100 = 2 \frac{\Delta \ell}{\ell} \times 100 = 2 \times 0.1 = 0.2\%$$

- Q.20 A potential difference V exists between the ends of a metal wire of length ℓ. The drift velocity will be doubled if (A) V is doubled
 - (B) ℓ is doubled

Sol.

Q.21

[A]

- (C) The diameter of the wire is doubled
- (D) The temperature of the wire is doubled [A]

Equivalent resistance between point C and D in the combination of resistance shown is –



Q.22 In the figure shown each resistor is of $20 \ \Omega$ and the cell has emf 10 volt with negligible internal resistance. Then rate of joule heating in the circuit is (in watts) -



Q.23 The dimensions of a block are $1 \text{ cm} \times 1 \text{ cm} \times 100$ cm. If the specific resistance of its material is 2×10^{-7} ohm \times metre, then the resistance between the opposite rectangular faces is -

> (A) 2×10^{-9} ohm (B) 2×10^{-7} ohm

(C) 2×10^{-5} ohm (D) 2×10^{-3} ohm **[B]**

Sol.
$$R = \frac{\rho \ell}{A} = \frac{\rho(1 \text{ cm})}{(1 \text{ cm} \times 100 \text{ cm})}$$

Q.24 The equivalent resistance between point A and B is -

(A) 4 r (B) 2r
(C) r (D)
$$\frac{r}{4}$$
 [D]

Q.25 A network of nine conductors connects six points A, B, C, D, E and F as shown below. The digits denote resistances in Ω . Find the equivalent resistance between A and D -



Q.26 Calculate the potential difference between points A and B and current flowing through the 10 Ω resistor in the part of the network below -



(A) 20 V, 2A	(B) 50 V, 1A	
(B) 40 V, 1A	(D) 30 V, 1A	[B]

0.27 In Figure the steady state current in 2 Ω resistance is –





$$I = \frac{6}{1.2 + 2.8} = 1.5 \text{ A}$$

: $I_2 : I_3 = 1/2 : 1/3 = 3.2$
 $I_2 = 3/5 \times 1.5 = 0.9 \text{ A}$

Q. 28 In the circuit shown in the figure below the cells E_1 and E_2 have e.m.f. 4V and 8 V and internal resistance 0.5 ohm and 1.0 ohm respectively. Then the potential difference across cell E_1 and E2 will be-



Sol.
$$I = \frac{8-4}{8} = 0.5 \text{ A}$$

 $V_{8V} = E - Ir = 8 - (0.5) (1) = 7.5 \text{ V}$
 $V_{4V} = E + Ir = 4 + (0.5) (0.5) = 4.25 \text{ V}$

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Q.30 In the circuit shown in figure the value of R is-



Q.31 In the circuit, the value of R is so chosen that thermal power generated in it is maximum, then value of R is –



Q.32 A battery of emf E and internal resistance r is connected across a resistance R. Resistance R can be adjusted to any value greater than or equal to zero. A graph is plotted between the current (i) passing through the resistance and potential difference (V) across it. Select the



Q.33 four wires of same material and same diameter, have lengths in the ratio 1 : 2 : 3 : 4. These wires are connected in parallel. If a battery is connected across this combination, then the currents in the wires will be in the ratio -

Sol.
$$I \propto \frac{1}{R} \propto \frac{1}{\ell}$$

 $I_1 : I_2 : I_3 : I_4 = \frac{1}{1}$

$$I_1: I_2: I_3: I_4 = \frac{1}{1}: \frac{1}{2}: \frac{1}{3}: \frac{1}{4}$$
$$= 12: 6: 4: 3$$

Q.34 A uniform wire of resistance R Ω is divided into 10 parts and all of them are connected in parallel. The equivalent resistance will be -

Sol. 10 parallel resistance each of value R/10

$$\Rightarrow R_{eq} = \frac{R/10}{10} = 0.01 R$$

Q.35 If X, Y, and Z in figure are identical lamps, which of the following changes to the brightnesses of the lamps occur when switch S is closed?



- (A) X stays the same, Y decreases
- (B) X increases, Y decreases
- (C) X increases, Y stays the same
- (D) X decreases, Y increases [B]
- **Q.36** If σ_1 , σ_2 and σ_3 are the conductances of three conductors, then their equivalent conductance, when they are joined in series will be -
 - (A) $\sigma_1 + \sigma_2 + \sigma_3$ (B) $\frac{1}{\sigma_1} + \frac{1}{\sigma_2} + \frac{1}{\sigma_3}$
 - (C) $\frac{\sigma_1 \sigma_2 \sigma_3}{\sigma_1 + \sigma_2 + \sigma_3}$ (D) None of these **[D]**

Sol.
$$R = R_1 + R_2 + R_3$$
$$\frac{1}{\sigma} = \frac{1}{\sigma_1} + \frac{1}{\sigma_2} + \frac{1}{\sigma_3}$$
$$\Rightarrow \sigma = \left(\frac{1}{\sigma_1} + \frac{1}{\sigma_2} + \frac{1}{\sigma_3}\right)^{-1}$$

Q.37 In figure, the steady state current in 2Ω resistance is –



Q.38 A battery of emf V volt, resistance R₁ and R₂, a capacitance C and switches S₁ and S₂ are connected in an electrical circuit as shown in figure. The capacitor C gets fully charged to V volt when -



(D) S_2 closed and S_1 open

[C]

Q.39 Figure shows an infinite ladder network of resistance. The equivalent resistance between points X and Y is –



- R_{eq} is slightly less than 1.66 Ω
- Q.40 In the circuit diagram show below, the magnitude and direction of the flow of current respectively would be –

Sol. $I = \frac{10-4}{1+2+3} = 1$ A (Clockwise so a to b via e)

Q.41 A 1m long metallic wire is broken into two unequal parts A and B. The part A is uniformly extended into another wire C. The length of C is twice the length of A and resistance of C is equal to that of B. The ratio of resistances of parts A and C is -

(A) 4 (B)
$$\frac{1}{4}$$

(C) 2 (D) $\frac{1}{2}$ [B]

Sol. let L_A and L_B be length of parts A and B

Then $\frac{R_A}{R_B} = \frac{L_A}{L_B}$ [as cross-section is same]

Now $L_c = 2 L_A$ and $(volume)_c = (volume)_P$

i.e. $L_c \times A_c = 2 L_A \times A_c = L_A \times A_A$ where $A_c = A_A$ are cross-sectional area of part C and A.

$$\therefore \quad \frac{R_A}{R_C} = \frac{\rho L_A / A_A}{\rho L_c / A_c} = \frac{L_A}{L_C} \times \frac{A_C}{A_A}$$
$$= \frac{L_A}{2L_A} \times \frac{A_A / 2}{A_A} = \frac{1}{4}$$

 $\therefore A_c = A_A/2$

- Q.42 A resistance R carries a current I. The rate of heat loss to the surroundings is λ (T - T_0) where λ is a constant. T is the temperature of the resistance and T_0 is the temperature of the atmosphere. If the coefficient of linear expansion is α , the strain in the resistance is –
 - (A) proportional to the length of the resistance wire

[B]

(D) None of these [A]

(B) equal to $\frac{\alpha}{\lambda} I^2 R$ (C) equal to $\frac{1}{2} \frac{\alpha}{\lambda} I^2 R$ (D) equal to $\alpha\lambda$ (IR)

Resistivity of iron is 1×10^{-7} ohm-metre. The Q.43 resistance of the given wire of a particular thickness and length is 1 Ω . If the diameter and length of the wire both are doubled, the resistivity will be -(A) 1×10^{-7} (B) 2×10^{-7} (C) 4×10^{-7}

Resistivity does not depend on length & cross Sol. section area

- For a metallic wire, the ratio V/I (V = applied Q.44 potential difference, I = current flowing)-
 - (A) increases or decreases as the temperature rises, depending upon the metal

(B) decreases as the temperature rises (C) independent of temperature

(D) increases as the temperature rises [D]

 $\frac{V}{I} = R$ Sol.

and for metals $R \uparrow$, on \uparrow the temperature.

Q.45 An electric fan and a heater are marked as 100 watt-220 volt and 1000 watt-220 volt respectively. The resistance of heater is -(A) zero (B) greater than that of the fan (C) less than that of the fan (D) equal to that of the fan [C] $R_{heater} = \frac{(220)^2}{1000}$ Sol. $\therefore R_{fan} > R_{heater}$

A potential difference of 30 V is applied Q.46 between the ends of a conductor of length 100 m and resistance 0.5 Ω and uniform area of cross-section. The total linear momentum of free electrons is -10 61

(A)
$$3.4 \times 10^{-6}$$
 kg/s
(B) 4.3×10^{-6} kg/s
(C) 3.4×10^{-8} kg/s
(D) 4.3×10^{-8} kg/s [C]

Current, I = $\frac{V}{R} = \frac{30}{0.5} = 60 \text{ A}$ Sol.

> Total no. of free e^- s, $N = nA\ell$ and linear momentum of each e^{-s} , $P = mv_{\alpha}$

Total momentum of all free e⁻s, *.*..

 $P = (nA\ell) (mv_{\alpha})$

But
$$I = neAv_{\alpha}$$
, so $nAv_{\alpha} = \frac{1}{e}$

$$P = \frac{I \ell m}{e} = \frac{60 \times 100 \times 9.1 \times 10^{-31}}{1.6 \times 10^{-19}}$$

Q.47 In adjacent circuit, current flowing in 1Ω resistance will be -

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 $\therefore r_{eq} = \frac{r}{3} = \frac{3}{3} = 1\Omega$ $E_{eq} = 12V$ $i = \frac{1\Omega}{12V}$ $i = \frac{12}{1+1} = 6A$

Sol.

Q.48 The charge supplied by source varies with time t as $Q = at - bt^2$. The total heat produced in resistor 2R is : (Assume direction of current is not changing)



Q.49 The potential difference between A and B in the following figure is - 60^{-90} 50

	$A \xrightarrow{0.02}_{2A} WW$	$\begin{array}{ccc} & & & \\ & & & & \\ & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ &$	
	(A) 32 V	(B) 48 V	
	(C) 24 V	(D) 14 V	[B]
ol.	6Ω	L- +4444	

Sol. $A \xrightarrow{002} A^+ \xrightarrow{1} F^- \xrightarrow{+} WW^- \xrightarrow{-} F^+ \xrightarrow{+} WW^- \xrightarrow{-} B$ $V_A - 2 \times 6 - 12 - 2 \times 9 + 4 - 2 \times 5 = V_B$

CURRENT ELECTRICITY

- \therefore V_A V_B = 48 V
- **Q.50** At room temperature, copper has free electron density of 8.4×10^{28} m⁻³. The electron drift velocity in a copper conductor of cross-sectional area 10^{-6} m² and carrying a current of 5.4 A, will be -



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