 <p>(a) $T > 0K$</p> <p>(b) $T > 0K$</p>	1+1	2
19.	<div style="border: 1px solid black; padding: 5px; display: inline-block; margin-bottom: 10px;"> Calculating the ratio of intensities 2 </div> <p>Given, $\frac{I_{\max}}{I_{\min}} = \frac{25}{9}$</p> $\frac{I_{\max}}{I_{\min}} = \frac{(a_1 + a_2)^2}{(a_1 - a_2)^2} = \frac{25}{9}$ $3(a_1 + a_2) = 5(a_1 - a_2)$ $\frac{a_1}{a_2} = \frac{4}{1}$ $\frac{I_1}{I_2} = \frac{16}{1}$	<p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p>	2
20.	<div style="border: 1px solid black; padding: 5px; display: inline-block; margin-bottom: 10px;"> (a) Deducing for (a) Size 1 (b) Location of the image produced by convex mirror 1 </div> <p>Let, $u = nf$</p> <p>From the Mirror formula,</p> $\frac{1}{v} + \frac{1}{u} = \frac{1}{f}$ $\frac{1}{v} = \frac{1}{f} - \frac{1}{u}$ $= \frac{1}{f} + \frac{1}{nf}$ $v = \frac{nf}{n+1}$ <p>$n = +ve \therefore v < f$</p> $m = \frac{-v}{u} = \frac{1}{n+1}$ <p>m is always positive & less than 1. (Note: Please award full credit if correctly concluded by any other method)</p> <p style="text-align: center;">OR</p>	<p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p>	

	<p>(b) <table border="1" style="display: inline-table; vertical-align: top;"> <tr> <td>Finding the nature & focal length of lens</td> <td style="text-align: right;">1½</td> </tr> <tr> <td>Stating answer for changing thickness</td> <td style="text-align: right;">½</td> </tr> </table></p> $\frac{1}{f} = \frac{1}{f_1} + \frac{1}{f_2} + \frac{1}{f_3}$ $\frac{1}{12} = \frac{1}{10} - \frac{1}{15} + \frac{1}{f_3}$ $\frac{1}{f_3} = \frac{5-6+4}{60}$ $f_3 = 20\text{cm}$ <p>Nature: Convex Yes</p>	Finding the nature & focal length of lens	1½	Stating answer for changing thickness	½	½ ½ ½ ½	2				
Finding the nature & focal length of lens	1½										
Stating answer for changing thickness	½										
21.	<table border="1" style="display: inline-table; vertical-align: top;"> <tr> <td>Calculating Binding Energy per nucleon</td> <td style="text-align: right;">2</td> </tr> </table> $\Delta m = (2m_n + 2m_H) - m({}_2^4\text{He})$ $= 2 \times 1.008665 + 2 \times 1.007825 - 4.002603$ $= 0.0303774u$ $BE = \Delta mc^2$ $= 0.030377 \times 931$ $= 28.2962 \text{ MeV}$ $\frac{BE}{\text{nucleon}} = \frac{28.2962}{4} = 7.07 \text{ MeV}$	Calculating Binding Energy per nucleon	2	½ ½ ½ ½	2						
Calculating Binding Energy per nucleon	2										
SECTION- C											
22.	<table border="1" style="display: inline-table; vertical-align: top;"> <tr> <td>Writing the mathematical form of postulates of Bohr's Theory</td> <td style="text-align: right;">1½</td> </tr> <tr> <td>Proving,</td> <td></td> </tr> <tr> <td>(a) radius of the orbit is proportional to n^2</td> <td style="text-align: right;">1</td> </tr> <tr> <td>(b) total energy of the atom is proportional to $1/n^2$</td> <td style="text-align: right;">½</td> </tr> </table> <p>Mathematical form of postulates of Bohr's Theory</p> <p>(i) $E_n = \frac{-13.6}{n^2} \text{ eV}$</p> <p>Alternatively : Electron revolve in stable orbits with definite energy called stationary orbits.</p> <p>(ii) $L = mvr = \frac{nh}{2\pi}$</p> <p>(iii) $h\nu = E_f - E_i$</p>	Writing the mathematical form of postulates of Bohr's Theory	1½	Proving,		(a) radius of the orbit is proportional to n^2	1	(b) total energy of the atom is proportional to $1/n^2$	½	½ ½ ½	
Writing the mathematical form of postulates of Bohr's Theory	1½										
Proving,											
(a) radius of the orbit is proportional to n^2	1										
(b) total energy of the atom is proportional to $1/n^2$	½										

	<p>(a) $\frac{mv^2}{r} = \frac{Ze^2}{r^2}$ -----(1)</p> <p>$mvr = \frac{nh}{2\pi}$ -----(2)</p> <p>Solving (1) & (2)</p> <p>$r = n^2 \left(\frac{h}{2\pi}\right)^2 \frac{4\pi\epsilon_0}{me^2}$ -----(3)</p> <p>Since energy in the orbit $E_n = \frac{-e^2}{8\pi\epsilon_0 r}$</p> <p>Using eq (3) $E_n = \frac{-me^4}{8n^2\epsilon_0^2 h^2}$</p> <p>or $E_n \propto \frac{1}{n^2}$</p>	<p>1/2</p> <p>1/2</p> <p>1/2</p>	3						
23.	<table border="1" style="width: 100%;"> <tbody> <tr> <td>(a) Explaining Einstein's photoelectric equation</td> <td>1</td> </tr> <tr> <td>(b) Determining which metal will not show photoelectric emission</td> <td>1 1/2</td> </tr> <tr> <td>Reason when source is brought closer</td> <td>1/2</td> </tr> </tbody> </table> <p>(a) $h\nu = \phi_0 + K_{\max}$ $h\nu$ = Energy of incident radiation ϕ_0 = Work function or minimum energy required to emit an electron from metal surface K_{\max} = maximum kinetic energy of emitted electron</p> <p>Alternatively: The energy of incident radiation $E (> \phi_0)$ incident on a metal surface, a part of it is used to overcome the work function & remaining energy provides maximum kinetic energy to the electrons.</p> <p>(b) $\lambda = 330 \text{ nm}$</p> $E = \frac{hc}{\lambda} = \frac{6.63 \times 10^{-34} \times 3 \times 10^8}{330 \times 10^{-9} \times 1.6 \times 10^{-19}}$ $= 3.77 \text{ eV}$ <p>Mo and Ni will not show photoelectric emission.</p> <p>No change.</p>	(a) Explaining Einstein's photoelectric equation	1	(b) Determining which metal will not show photoelectric emission	1 1/2	Reason when source is brought closer	1/2	<p>1</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>	3
(a) Explaining Einstein's photoelectric equation	1								
(b) Determining which metal will not show photoelectric emission	1 1/2								
Reason when source is brought closer	1/2								
24.	<table border="1" style="width: 100%;"> <tbody> <tr> <td>(i) Writing Biot-Savart's Law in vector form</td> <td>1</td> </tr> <tr> <td>(ii) Finding magnitude & direction of net magnetic field at centre of two current carrying coils</td> <td>2</td> </tr> </tbody> </table> <p>(i) $\vec{dB} = \frac{\mu_0}{4\pi} \frac{I(d\vec{l} \times \vec{r})}{r^3}$</p>	(i) Writing Biot-Savart's Law in vector form	1	(ii) Finding magnitude & direction of net magnetic field at centre of two current carrying coils	2	1			
(i) Writing Biot-Savart's Law in vector form	1								
(ii) Finding magnitude & direction of net magnetic field at centre of two current carrying coils	2								

$$(ii) B_1 = \frac{\mu_0 I}{2R}$$

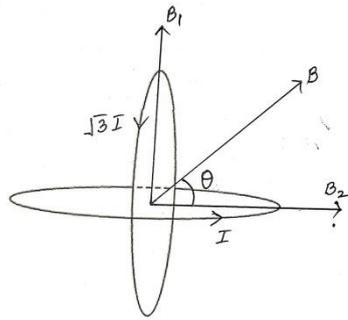
$$B_2 = \frac{\mu_0 \sqrt{3} I}{2R}$$

$$B = \sqrt{B_1^2 + B_2^2}$$

$$\therefore B = \frac{\mu_0 I}{2R} \sqrt{1+3}$$

$$B = \frac{\mu_0 I}{R}$$

$$\tan \theta = \frac{B_1}{B_2} = \frac{1}{\sqrt{3}}$$

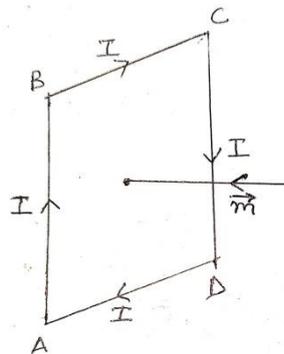


Direction of net magnetic field is 30° with direction of B_2 /
 60° with the direction of B_1 .

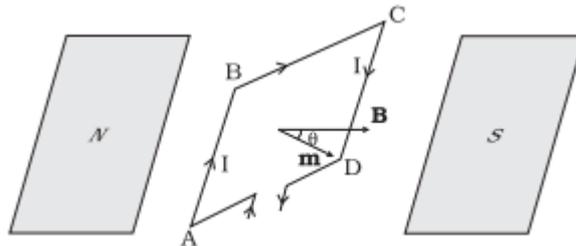
OR

- | | |
|--|---|
| (b) Writing the expression for magnetic moment & showing its direction | 1 |
| Proving no net force | 1 |
| Torque $(\vec{\tau}) = \vec{m} \times \vec{B}$ | 1 |

(i) $\vec{m} = I\vec{A}$



- (ii) $F_1 = F_2 = IbB$ $F_1 =$ Force on AB into the plane
 $F_2 =$ Force on CD out of the plane



Since forces are equal & opposite so net force = 0
 Both forces form a couple, magnitude of torque acting on the coil is

1/2

1/2

1/2

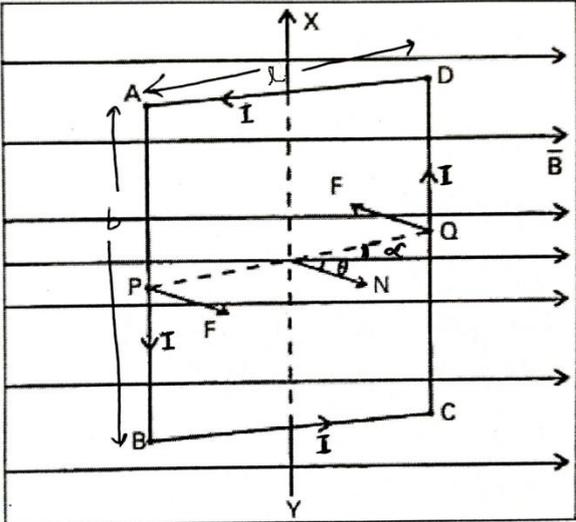
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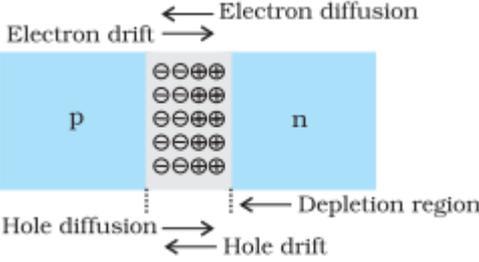
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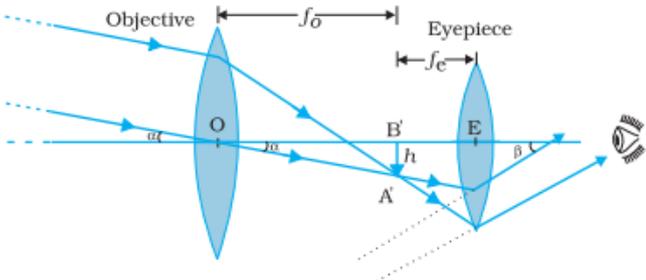
1/2

1/2

	<p> $\therefore \tau = F_1 \frac{l}{2} \sin \theta + F_2 \frac{l}{2} \sin \theta$ $= I b B l \sin \theta$ $= I A B \sin \theta$ $= m B \sin \theta$ $\vec{\tau} = \vec{m} \times \vec{B}$ </p> <p>Alternatively:</p>  <p> If the plane of the current carrying coil makes an angle α with the magnetic field $\vec{F}_{DA} = -\vec{F}_{BC}$ (cancel each other) Force on the arm BC is into the plane of the paper $F_{DC} = IbB$ Force on the arm DA is out of the plane of the paper. $F_{AB} = IbB$ Since forces are equal & opposite so net force = 0 Both of them form a couple and magnitude of torque acting on the coil is $\tau = \text{either force} \times \text{perpendicular distance between the two forces.}$ $\tau = IbB \times a \sin \theta$ $= IAB \sin \theta$ $\vec{\tau} = I\vec{A} \times \vec{B}$ $\vec{\tau} = \vec{m} \times \vec{B}$ </p>	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>3</p>									
25.	<table border="1" data-bbox="387 1720 1023 1899"> <tr> <td>(a) Production of em waves</td> <td>1</td> </tr> <tr> <td>(b) Writing the wavelength & use of</td> <td></td> </tr> <tr> <td> (i) Microwaves</td> <td>1</td> </tr> <tr> <td> (ii) Ultraviolet waves</td> <td>1</td> </tr> </table> <p>(a) Electromagnetic waves are produced by an oscillating or accelerated charge.</p>	(a) Production of em waves	1	(b) Writing the wavelength & use of		(i) Microwaves	1	(ii) Ultraviolet waves	1	1	
(a) Production of em waves	1										
(b) Writing the wavelength & use of											
(i) Microwaves	1										
(ii) Ultraviolet waves	1										

	<p>Alternatively: An oscillating charge produces an oscillating electric field which produces an oscillating magnetic field which in turn is a source of oscillating electric field & so on.</p> <p>(b) (i) Microwaves Wavelength: 0.1 m to 1 mm Use : Radar used in aircraft navigation. Microwave ovens. (Any one)</p> <p>(ii) Ultraviolet waves Wavelength: 400 nm to 1 nm Use : Kill germs in UV purifiers. LASIK eye surgery. (Any one)</p>	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>	<p>3</p>				
26.	<table border="1" data-bbox="320 730 1110 902"> <tr> <td>(a) Obtaining expression for mutual inductance of two concentric coils</td> <td>2</td> </tr> <tr> <td>(b) Finding self-inductance of the solenoid</td> <td>1</td> </tr> </table> <p>(a) Magnetic field at centre of outer coil S_2</p> $B_2 = \frac{\mu_0 I_2}{2r_2}$ <p>Flux linked with inner coil S_1 is</p> $\phi_1 = B_2 A_1$ $= \frac{\mu_0 I_2}{2r_2} \cdot \pi r_1^2$ <p>Also, $\phi_1 = M_{12} I_2$</p> $\therefore M_{12} = \frac{\mu_0}{2r_2} \cdot \pi r_1^2$ <p>(b) $\varepsilon = -L \frac{dI}{dt}$</p> $L = \frac{0.4 \times 50 \times 10^{-3}}{4 \times 10^{-3}}$ $= 5 H$	(a) Obtaining expression for mutual inductance of two concentric coils	2	(b) Finding self-inductance of the solenoid	1	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>	<p>3</p>
(a) Obtaining expression for mutual inductance of two concentric coils	2						
(b) Finding self-inductance of the solenoid	1						
27.	<table border="1" data-bbox="347 1626 1062 1776"> <tr> <td>Explaining the formation of depletion layer and potential barrier</td> <td>1+1</td> </tr> <tr> <td>Feature of junction diode for its use as rectifier</td> <td>1</td> </tr> </table> <p>When an electron diffuses from n-side to p-side, it leaves behind an ionized donor on n side. Similarly when a hole diffuses from p-side to n-side, it leaves behind an ionized acceptor on p side. This space charge region consisting of immobile ions on either side of the junction is known as depletion layer.</p>	Explaining the formation of depletion layer and potential barrier	1+1	Feature of junction diode for its use as rectifier	1	<p>1</p>	
Explaining the formation of depletion layer and potential barrier	1+1						
Feature of junction diode for its use as rectifier	1						

	<p>As diffusion process continues, width of depletion layer increases and consequently strength of electric field increases across the junction and thus the drift current.</p> <p>The potential that prevents the movement of electron from n region into p region is called potential barrier.</p>  <p>(Note : Award full credit of formation of depletion layer even if a student draws above diagram)</p> <p>Diode allows current to pass only when it is forward biased as resistance is small whereas in reverse bias, its resistance is very large.</p> <p>Alternatively: Diode is unidirectional.</p>	1	
28.	<div style="border: 1px solid black; padding: 5px; margin-bottom: 10px;"> <p>(a) Calculating work done to separate two charges 1</p> <p>(b) Calculating electrostatic potential energy 2</p> </div> <p>(a) $U = \frac{kq_1q_2}{r}$</p> $= \frac{9 \times 10^9 \times (-5 \times 10^{-6}) \times (2 \times 10^{-6})}{10 \times 10^{-2}}$ $= -0.9 \text{ J}$ <p>$W = U(\text{infinity}) - U(r) = 0.9 \text{ J}$</p> <p>(b) $E = \frac{-dV}{dr}$</p> $dV = \frac{-A}{r^2} dr$ $V = \frac{A}{r}$ <p>$U = q_1 V_1 + q_2 V_2 + \frac{kq_1q_2}{r}$</p> $= (-5 \times 10^{-6}) \left(\frac{8 \times 10^4}{4 \times 10^{-2}} \right) + (2 \times 10^{-6}) \left(\frac{8 \times 10^4}{6 \times 10^{-2}} \right) - 0.9$ $= -10 + 2.67 - 0.9$ $= -8.24 \text{ J}$	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>	3
SECTION -D			
29.	<p>(i) (A) $1/\sqrt{n^2-1}$</p> <p>(ii) (a) (B) 1.4</p> <p style="text-align: center;">OR</p> <p>(b) (D) increase by 19%</p>	1	1

	(iii) (C) First real and then virtual (iv) (A) 10cm	1 1	4
30.	(i) (D) 1 (ii) (C) 3.75×10^6 (iii) (B) 500°C (iv) (a) (D) I decreases and II is almost constant OR (b) (D) All I, II and III change	1 1 1 1	4
SECTION- E			
31.	<div style="border: 1px solid black; padding: 5px;"> (a) (i) Drawing labeled Diagram 1½ Explanation ½ Writing expression of Magnifying power 1 (ii) Calculating the focal length of objective & eye piece 2 </div>  <p>(Note: Deduct ½ mark, for not showing arrows with the rays) Light from distant object enters the objective lens & forms a real image A'B' at f_o. This image A'B' acts as an object for eye piece and eye piece forms a magnified image at infinity. Magnifying Power = $\frac{f_o}{f_e}$</p> <p>(ii) Image is formed at least distance of distinct vision $20 = m_o \times m_e$ $m_o = \frac{20}{5} = 4$ $m_e = 1 + \frac{D}{f_e}$ $f_e = \frac{25}{4} \text{ cm}$ $\frac{1}{v_e} - \frac{1}{u_e} = \frac{1}{f_e}$ $\frac{1}{-25} - \frac{1}{u_e} = \frac{4}{25}$ $u_e = -5 \text{ cm}$</p>	1½ ½ 1 ½ ½	

	$y = \frac{n\lambda D}{a}$ $y_1 = \frac{\lambda D}{a}$ $= \frac{600 \times 10^{-9} \times 1.5}{3 \times 10^{-3}} = 3 \times 10^{-4} \text{ m}$ <p>(II) Position of second order maximum</p> $y_n = (2n+1) \frac{\lambda D}{2a}$ $n = 2, \quad y_2 = \frac{5\lambda D}{2a}$ $= \frac{5 \times 600 \times 10^{-9} \times 1.5}{2 \times 3 \times 10^{-3}} = 7.5 \times 10^{-4} \text{ m}$	$\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$	5				
32.	<p>(a)</p> <table border="1" style="margin-left: 20px;"> <tbody> <tr> <td>(i) Finding the value of capacitance</td> <td style="text-align: right;">3</td> </tr> <tr> <td>(ii) Finding the number of capacitors</td> <td style="text-align: right;">2</td> </tr> </tbody> </table> <p>(i) $C_0 = \frac{\epsilon_0 A}{d}$</p> $C = \frac{\epsilon_0 A}{(d-t) + \frac{t}{K}}$ $t = \frac{d}{4}$ $C = \frac{\epsilon_0 A}{\left(d - \frac{d}{4}\right) + \frac{d}{4K}} = \frac{\epsilon_0 A}{d \left(\frac{3}{4} + \frac{1}{4K}\right)}$ $= C_0 \frac{4K}{(3K+1)}$ <p>Alternatively: When dielectric is inserted, the electric field between the plates is $E = E_0/K$ The potential difference will be</p> $V = E_0 \left(\frac{3d}{4}\right) + E \left(\frac{d}{4}\right)$ $= E_0 \left(\frac{3d}{4}\right) + \frac{E_0}{K} \left(\frac{d}{4}\right)$ $= V_0 \left(\frac{3}{4} + \frac{1}{4K}\right)$ $V = V_0 \left(\frac{3K+1}{4K}\right)$ $C = \frac{Q_0}{V} = \left(\frac{4K}{3K+1}\right) \frac{Q_0}{V_0}$ $C = C_0 \left(\frac{4K}{3K+1}\right)$ <p>(ii) Each capacitance can withstand 200V</p>	(i) Finding the value of capacitance	3	(ii) Finding the number of capacitors	2	$\frac{1}{2}$ $\frac{1}{2}$ 1 1 $\frac{1}{2}$ $\frac{1}{2}$ 1 1 $\frac{1}{2}$	
(i) Finding the value of capacitance	3						
(ii) Finding the number of capacitors	2						

No. of capacitors in each row = $\frac{1200}{200} = 6$

Net capacitance of each row = $\frac{1}{6} \mu\text{F}$

Number of rows = n

$$C_{eq} = C_1 + C_2 + \dots + C_n$$

$$C_{eq} = \frac{1}{6} + \frac{1}{6} + \dots + n$$

$$2 = \frac{n}{6}$$

$$\therefore n = 12$$

Total no. of capacitors in the arrangement = $6 \times 12 = 72$

1/2

1/2

1/2

OR

- (b) (i) Deriving the expression of electric potential due to dipole
- I. along its axis 1 1/2
 - II. along its bisector line 1 1/2
- (ii) Calculating the torque 2

I. Along its axis

$$V_- = \frac{-kq}{x+a}$$

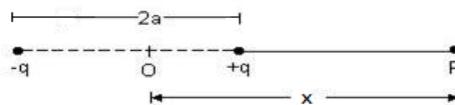
$$V_+ = \frac{kq}{x-a}$$

$$V = V_- + V_+$$

$$= kq \left(\frac{-1}{x+a} + \frac{1}{x-a} \right)$$

$$= kq \frac{2a}{(x^2 - a^2)} = \frac{kp}{x^2 - a^2}$$

$$x \gg a \therefore V = \frac{kp}{x^2}$$



1/2

1/2

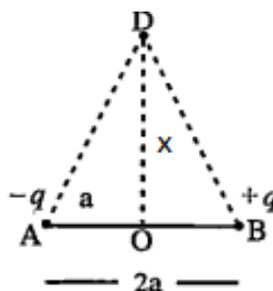
1/2

II. Along the bisector line

$$V_- = \frac{kq}{\sqrt{x^2 + a^2}}$$

$$V_+ = \frac{-kq}{\sqrt{x^2 + a^2}}$$

$$V = V_- + V_+ = 0$$



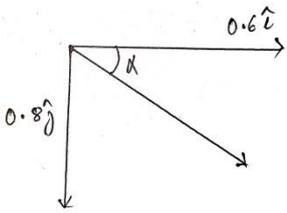
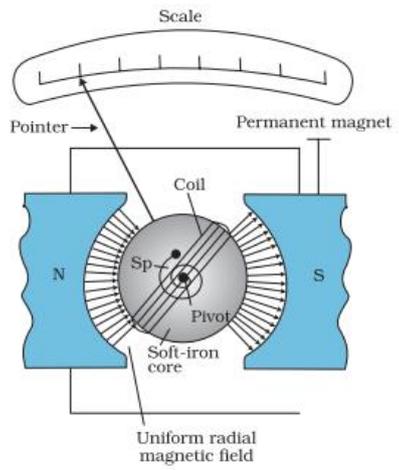
1/2

1/2

1/2

(ii) $\vec{\tau} = \vec{p} \times \vec{E}$

1/2

	$= (0.8\hat{i} + 0.6\hat{j}) \times 10^{-29} \times (1 \times 10^7) \hat{k}$ $= [0.8(-\hat{j}) + 0.6\hat{i}] \times 10^{-22}$ $\tau = \left[\sqrt{(0.8)^2 + (0.6)^2} \right] \times 10^{-22}$ $= 10^{-22} \text{ Nm}$ $\tan \alpha = \frac{ 0.8 }{0.6}$ $\alpha = \tan^{-1} \left(\frac{4}{3} \right)$ $\alpha = 53^\circ$ 	<p>1/2</p> <p>1/2</p> <p>1/2</p>	5												
33.	<p>(a)</p> <table border="1" data-bbox="359 705 1114 985"> <tbody> <tr> <td>(i) Labelled diagram</td> <td>1</td> </tr> <tr> <td>Working principle of moving coil galvanometer</td> <td>1</td> </tr> <tr> <td>Use of (i) Radial magnetic field</td> <td>1/2</td> </tr> <tr> <td>(ii) Soft iron core</td> <td>1/2</td> </tr> <tr> <td>(ii) Defining current sensitivity</td> <td>1</td> </tr> <tr> <td>Reason</td> <td>1</td> </tr> </tbody> </table>  <p>Principle: A current carrying coil placed in uniform magnetic field experiences a torque.</p> <p>(i) Radial magnetic field makes the scale linear Alternatively: Radial magnetic field provides maximum Torque.</p> <p>(ii) Use of soft iron core is to increase the strength of magnetic field/ increase sensitivity of the galvanometer.</p> <p>(ii) Current sensitivity is defined as deflection per unit current. Alternatively:</p>	(i) Labelled diagram	1	Working principle of moving coil galvanometer	1	Use of (i) Radial magnetic field	1/2	(ii) Soft iron core	1/2	(ii) Defining current sensitivity	1	Reason	1	<p>1</p> <p>1</p> <p>1/2</p> <p>1/2</p> <p>1</p>	
(i) Labelled diagram	1														
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(ii) Defining current sensitivity	1														
Reason	1														

	$I_s = \frac{\Phi}{I} = \frac{NAB}{k}$ <p>Voltage sensitivity $V_s = \frac{\Phi}{V} = \left(\frac{NAB}{k}\right) \frac{I}{V} = \left(\frac{NAB}{k}\right) \frac{1}{R}$</p> <p>Increase in number of turns, increases the current sensitivity and resistance of the galvanometer in the same proportion of current sensitivity therefore Voltage sensitivity remains unchanged.</p> <p style="text-align: center;">OR</p> <p>(b) <table border="1" style="width: 100%; border-collapse: collapse;"> <tr> <td style="padding: 5px;">(i) (I) Writing Ampere circuital law & explaining the terms.</td> <td style="text-align: right; padding: 5px;">1</td> </tr> <tr> <td style="padding: 5px;">(II) Reason for magnetic field outside long solenoid approaching zero</td> <td style="text-align: right; padding: 5px;">1</td> </tr> <tr> <td style="padding: 5px;">(III) Reason for irregular shaped loop changing to circular loop in uniform magnetic field</td> <td style="text-align: right; padding: 5px;">1</td> </tr> <tr> <td style="padding: 5px;">(ii) Finding the value of Resistance R_3</td> <td style="text-align: right; padding: 5px;">2</td> </tr> </table> <p>(i) (I) $\oint \vec{B} \cdot d\vec{l} = \mu_0 I_e$ I_e = Total current through the surface B = Magnetic field dl = length of small element</p> <p>(II) As length of solenoid increases, it appears like a long cylindrical metal sheet so field outside approaches zero.</p> <p>(III). For a given perimeter, a circle encloses greater area than any other shape, which maximizes the flux.</p> <p>(ii) $R_1 = \frac{V}{I_g} - G \Rightarrow \frac{V}{I_g} = R_1 + G \quad \text{-----(1)}$</p> <p>$R_2 = \frac{V}{2I_g} - G \Rightarrow \frac{V}{2I_g} = R_2 + G \quad \text{-----(2)}$</p> <p>Solving (1) & (2) $G = R_1 - 2R_2$</p> <p>$R_3 = \frac{2V}{I_g} - G \quad \text{-----(3)}$</p> <p>Solving using eq (1) & (3) $R_3 = 3R_1 - 2R_2$</p> </p>	(i) (I) Writing Ampere circuital law & explaining the terms.	1	(II) Reason for magnetic field outside long solenoid approaching zero	1	(III) Reason for irregular shaped loop changing to circular loop in uniform magnetic field	1	(ii) Finding the value of Resistance R_3	2	<p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>1</p> <p>1</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p>	<p>5</p>
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