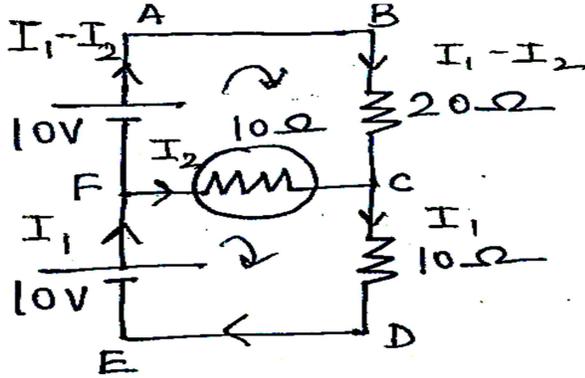


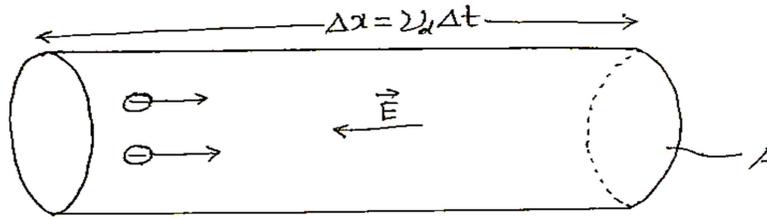
**SOLUTIONS: PHYSICS(042)**

**Code: 55/4/1**

<b>Q.No.</b>	<b>VALUE POINTS/EXPECTED ANSWERS</b>	<b>Marks</b>	<b>Total Marks</b>								
<b>SECTION A</b>											
1.	(C) decreases by $4.55 \times 10^{-23}$ kg	1	1								
2.	(C) $R^3$	1	1								
3.	(B) a semicircular path in XY plane	1	1								
4.	(C) $60^\circ$	1	1								
5.	(B) Sodium Chloride	1	1								
6.	(A) $10\sqrt{2}A$	1	1								
7.	(D) $3.33 \times 10^{-6} T$	1	1								
8.	(B) Concave and real	1	1								
9.	(C) Photons of light and electrons both exhibit dual nature	1	1								
10.	(B) The red beam has more numbers of photons than the blue beam	1	1								
11.	(A) Sn	1	1								
12.	(C) Concentric horizontal circles around the wire	1	1								
13.	(A) Both Assertion (A) and Reason (R) are true and Reason (R) is the correct explanation of the Assertion (A)	1	1								
14.	(A) Both Assertion (A) and Reason (R) are true and Reason (R) is the correct explanation of the Assertion (A)	1	1								
15.	(C) Assertion (A) is true but Reason (R) is false.	1	1								
16.	(B) Both Assertion (A) and Reason (R) are true but reason (R) is not the correct explanation of the Assertion (A)	1	1								
<b>SECTION-B</b>											
17.	<p>(a)</p> <table border="1" style="width: 100%; border-collapse: collapse;"> <tr> <td style="padding: 5px;">(i) Comparison of brightness of bulbs P and Q with bulb S</td> <td align="right" style="padding: 5px;"><math>\frac{1}{2}</math></td> </tr> <tr> <td style="padding: 5px;">Justification</td> <td align="right" style="padding: 5px;"><math>\frac{1}{2}</math></td> </tr> <tr> <td style="padding: 5px;">(ii) Comparison of brightness of bulb S with Q</td> <td align="right" style="padding: 5px;"><math>\frac{1}{2}</math></td> </tr> <tr> <td style="padding: 5px;">Justification</td> <td align="right" style="padding: 5px;"><math>\frac{1}{2}</math></td> </tr> </table> <p>(i) Brightness of the bulb 'S' will be more than bulbs 'P' and 'Q' The current flowing through the bulb 'S' is twice of the current in bulbs 'P' and 'Q'.</p> <p>(ii) Brightness of the bulb 'S' and 'Q' will be same The current flowing through both bulbs is same.</p> <p><b>Alternatively-</b></p> <p>(i) Brightness of the bulb 'S' will be more than bulbs 'P' and 'Q' The potential difference across 'S' is twice than the potential</p>	(i) Comparison of brightness of bulbs P and Q with bulb S	$\frac{1}{2}$	Justification	$\frac{1}{2}$	(ii) Comparison of brightness of bulb S with Q	$\frac{1}{2}$	Justification	$\frac{1}{2}$	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	
(i) Comparison of brightness of bulbs P and Q with bulb S	$\frac{1}{2}$										
Justification	$\frac{1}{2}$										
(ii) Comparison of brightness of bulb S with Q	$\frac{1}{2}$										
Justification	$\frac{1}{2}$										

	<p>difference across bulbs 'P' and 'Q'</p> <p>(ii) Brightness of both bulbs 'S' and 'Q' is same. The potential difference across 'S' and 'Q' will be same.</p> <p style="text-align: center;"><b>OR</b></p> <p>(b)</p> <div style="border: 1px solid black; padding: 5px; margin: 10px 0;"> <p>Finding the current through the bulb 'B' <span style="float: right;">2</span></p> </div>  <p>By applying Kirchoff's loop rule to closed loops ABCFA and FCDEF</p> $2I_1 - 3I_2 = 1 \text{ ----(1)}$ $I_1 + I_2 = 1 \text{ ----(2)}$ <p>On solving, Current through the bulb,</p> $I_2 = \frac{1}{5} \text{ A}$	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>	<p>2</p>
<p><b>18.</b></p>	<div style="border: 1px solid black; padding: 5px; margin: 10px 0;"> <p>Finding the angle of diffraction for first secondary maximum. <span style="float: right;">2</span></p> </div> $\theta = (2n+1) \frac{\lambda}{2a}$ <p>For first secondary maxima n=1</p> $\theta = \frac{3\lambda}{2a}$ $\theta = \frac{3 \times 550 \times 10^{-9}}{2 \times 0.55 \times 10^{-3}}$ $\theta = 1.5 \times 10^{-3} \text{ radian} = 0.086 \text{ degree}$	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>	<p>2</p>
<p><b>19.</b></p>	<div style="border: 1px solid black; padding: 5px; margin: 10px 0;"> <p>Calculation of radius of curvature <span style="float: right;">2</span></p> </div> $\frac{1}{f} = (n_{21} - 1) \left[ \frac{1}{R_1} - \frac{1}{R_2} \right]$	<p>1/2</p>	

	$R_1=R$ and $R_2=-R$ $\frac{1}{15}=(1.55-1)\left[\frac{2}{R}\right]$ $R=16.5\text{ cm}$	$\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$	<b>2</b>
<b>20.</b>	<div style="border: 1px solid black; padding: 5px; margin-bottom: 10px;">           Calculation of mass of an <math>\alpha</math>-particle in u <span style="float: right;">2</span> </div> $1u = \frac{1}{12} \text{ mass of carbon atom} = \frac{1.9926 \times 10^{-26} \text{ kg}}{12} = 1.66 \times 10^{-27} \text{ kg}$ mass of an electron = $9.1 \times 10^{-31} \text{ kg}$ $\text{mass of two electrons} = \frac{2 \times 9.1 \times 10^{-31}}{1.66 \times 10^{-27}}$ $= 0.00109638 \text{ u}$ mass of $\alpha$ -particle = mass of the normal helium atom - mass of two electrons $= 4.0026030 - 0.00109638$ $= 4.00150662 \text{ u}$	$\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$	<b>2</b>
<b>21.</b>	<div style="border: 1px solid black; padding: 5px; margin-bottom: 10px;">           (a)            (i) Identifying the type of dopant <span style="float: right;"><math>\frac{1}{2}</math></span>            (ii) Identifying the type of extrinsic semiconductor <span style="float: right;"><math>\frac{1}{2}</math></span>            (b) Calculating the electron concentration <span style="float: right;">1</span> </div> (a) (i) Trivalent <span style="float: right;"><math>\frac{1}{2}</math></span> (ii) p – type semi conductor <span style="float: right;"><math>\frac{1}{2}</math></span> (b) Electron concentration $n_e = \frac{n_i^2}{n_h}$ $n_e = \frac{(5 \times 10^8)^2}{8 \times 10^{12}}$ $n_e = 3.125 \times 10^4 \text{ m}^{-3}$	$\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$	<b>2</b>
<b>SECTION-C</b>			
<b>22.</b>	<b>(a)</b> <div style="border: 1px solid black; padding: 5px; margin-top: 10px;">           (i) Deriving the expression for resistivity of a conductor <span style="float: right;">2</span>            (ii) Comparison of charges <math>Q_1</math> and <math>Q_2</math> <span style="float: right;">1</span> </div>		



Total charge transported along E is

$$I \Delta t = \frac{e^2 A}{m} \tau n \Delta t E$$

$$\frac{I}{A} = \frac{ne^2}{m} \tau E$$

$$J = \frac{1}{\rho} E$$

$$\rho = \frac{m}{ne^2 \tau}$$

**Alternatively-**

Current in the conductor-

$$I = neAv_d$$

$$\frac{I}{A} = ne \frac{eE}{m} \tau$$

$$J = \frac{ne^2 \tau}{m} E$$

$$J = \frac{1}{\rho} E$$

$$\rho = \frac{m}{ne^2 \tau}$$

(ii) From given graph

$$\frac{Q_1}{Q_2} = \frac{A_1 (\text{Area of rectangle})}{A_2 (\text{Area of triangle})}$$

$$\frac{Q_1}{Q_2} = \frac{2}{3/2}$$

$$Q_1 > Q_2$$

1/2

1/2

1/2

1/2

1/2

1/2

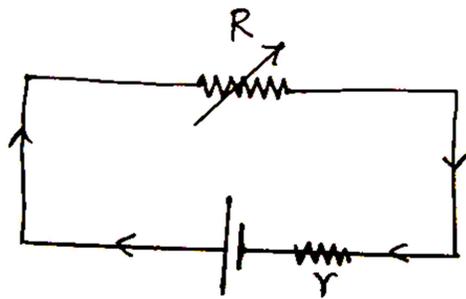
OR

(b)

(i) (I)

- Obtaining the expression for current 1/2
- Finding value of maximum current 1/2

(II) Obtaining terminal voltage V and its maximum possible value 1  
 (ii) Obtaining the internal resistance of the battery 1



- $V = E - Ir$   
 $IR = E - Ir$   
 $I = \frac{E}{R + r}$

For maximum value of current  $R=0$

$$I_{\max} = \frac{E}{r}$$

(II)  $V = V_+ + V_- - Ir$   
 $V = E - Ir$

$V_{\max} = E$  , when  $I=0$

(ii)  $I_1 R_1 + I_1 r = I_2 R_2 + I_2 r$

$$r = \frac{I_2 R_2 - I_1 R_1}{I_1 - I_2}$$

1/2

1/2

1/2

1/2

1/2

1/2

3

23.

(a) Vector form of Biot – Savart Law 1

(b) Finding ,

- Magnitude of resultant magnetic field 1 1/2
- Direction of resultant magnetic field 1/2

(a)  $d\vec{B} = \frac{\mu_0}{4\pi} \frac{I(d\vec{l} \times \vec{r})}{r^3}$

1

	<p>(b) As <math>B = \frac{\mu_0 2I}{4\pi a}</math></p> <p><math>\therefore B_1 =</math> Magnetic field due to current carrying wire along <math>XX'</math></p> $\vec{B}_1 = \frac{\mu_0 2I}{4\pi a} = \frac{2 \times 2 \times 10^{-7}}{5} = (8 \times 10^{-8} \text{ T})(\hat{k})$ <p><math>B_2 =</math> Magnetic field due to current carrying wire along <math>YY'</math></p> $\vec{B}_2 = \frac{\mu_0 2I}{4\pi a} = \frac{2 \times 2 \times 10^{-7}}{4} = 10 \times 10^{-8} \text{ T } (-\hat{k})$ $\vec{B}_{\text{net}} = \vec{B}_2 + \vec{B}_1$ $= 2 \times 10^{-8} \text{ T } (-\hat{k})$ <ul style="list-style-type: none"> <li>Direction of resultant magnetic field along <math>-Z</math> axis.</li> </ul>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	<p><b>3</b></p>
<p><b>24.</b></p>	<div style="border: 1px solid black; padding: 5px; margin-bottom: 10px;"> <p>Finding direction of induced current in coil and justification</p> <p>(a) coil '2' is moving toward coil '1' <span style="float: right;"><math>\frac{1}{2} + \frac{1}{2}</math></span></p> <p>(b) coil '2' is moving away from coil '1' <span style="float: right;"><math>\frac{1}{2} + \frac{1}{2}</math></span></p> <p>(c) Resistance connected with coil '2' is increased keeping both the coils stationary <span style="float: right;"><math>\frac{1}{2} + \frac{1}{2}</math></span></p> </div> <p>(a) Induced current will be clockwise. <span style="float: right;"><math>\frac{1}{2}</math></span>  Due to the direction flow of current in coil 2, the face approaching to coil 1 behaves like south pole. Induced polarity on coil 1 viewed from the side of coil 2 will be south pole <span style="float: right;"><math>\frac{1}{2}</math></span></p> <p>(b) Induced current will be Anticlockwise <span style="float: right;"><math>\frac{1}{2}</math></span>  Due to direction of flow of current in coil 2, face going away from coil 1 behaves like south pole. Induced polarity on coil 1 viewed from the side of coil 2, will be north pole. <span style="float: right;"><math>\frac{1}{2}</math></span></p> <p>(c) Induced current will be Anticlockwise <span style="float: right;"><math>\frac{1}{2}</math></span>  Till the resistance in coil 2 is increasing, the magnetic flux associated with coil 1 is decreasing. Hence according to Lenz's law current will induce in coil 1, momentarily and after that no induced current in coil <span style="float: right;"><math>\frac{1}{2}</math></span></p>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	<p><b>3</b></p>
<p><b>25.</b></p>	<div style="border: 1px solid black; padding: 5px; margin-bottom: 10px;"> <p>(a) Three characteristics of electro- magnetic wave <span style="float: right;"><b><math>1\frac{1}{2}</math></b></span></p> <p>(b) Explanation of displacement current, <span style="float: right;"><b>1</b></span></p> <ul style="list-style-type: none"> <li>• how <span style="float: right;"><b>1</b></span></li> <li>• Where it exists <span style="float: right;"><math>\frac{1}{2}</math></span></li> </ul> </div> <p>(a) (Any three) <span style="float: right;"><math>\frac{1}{2}</math></span></p> <ul style="list-style-type: none"> <li>• Electromagnetic wave carries energy. <span style="float: right;"><math>\frac{1}{2}</math></span></li> <li>• Electromagnetic wave carries momentum. <span style="float: right;"><math>\frac{1}{2}</math></span></li> <li>• Electromagnetic wave moves with velocity of light in vacuum. <span style="float: right;"><math>\frac{1}{2}</math></span></li> <li>• In electromagnetic wave, electric field vector, magnetic field vector</li> </ul>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	

	<p>and direction of propagation, all are mutually perpendicular.</p> <ul style="list-style-type: none"> <li>• Electromagnetic waves are transverse in nature.</li> <li>• Electromagnetic waves do not require a physical medium to propagate and can travel through a vacuum.</li> <li>• Electromagnetic waves consist of oscillating electric and magnetic fields.</li> </ul> <p>(b)</p> <ul style="list-style-type: none"> <li>• During charging of capacitor, time varying electric field / electric flux between the plates of capacitor induces the displacement current.</li> <li>• Displacement current exists between the plates of capacitor.</li> </ul>	1 ½	3						
26.	<table border="1" data-bbox="243 730 1255 898"> <tr> <td>Effect on</td> <td></td> </tr> <tr> <td>(a) Speed, frequency and wavelength of light</td> <td>1½</td> </tr> <tr> <td>(b) Fringe width, shape of fringes and shift of position of central maximum</td> <td>1½</td> </tr> </table> <p>(a)</p> <ul style="list-style-type: none"> <li>• Speed of light will decrease</li> <li>• Frequency remains unaffected</li> <li>• Wavelength decreases</li> </ul> <p>(b)</p> <ul style="list-style-type: none"> <li>• Fringe width decreases</li> <li>• Shapes does not change</li> <li>• Position of central maxima does not change.</li> </ul>	Effect on		(a) Speed, frequency and wavelength of light	1½	(b) Fringe width, shape of fringes and shift of position of central maximum	1½	½ ½ ½  ½ ½ ½	3
Effect on									
(a) Speed, frequency and wavelength of light	1½								
(b) Fringe width, shape of fringes and shift of position of central maximum	1½								

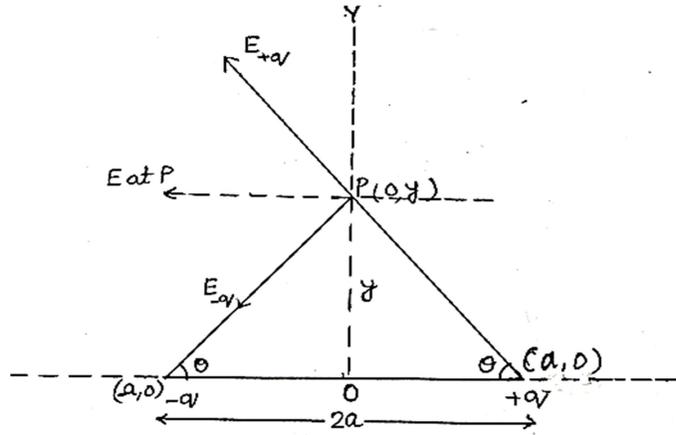
<p>27.</p>	<div style="border: 1px solid black; padding: 5px; margin-bottom: 10px;"> <p>Explanation of</p> <p>(a) Photoelectric emission 1</p> <p>(b) Dependency of maximum kinetic energy on frequency only 1</p> <p>(c) Explanation of slope of cut off voltage versus frequency graph 1</p> </div> <p>(a) Einstein Photo electric equation  <math>h\nu = h\nu_0 + K_{\max}</math>  <math>K_{\max} = h(\nu - \nu_0)</math>  For <math>\nu &lt; \nu_0</math>, <math>K_{\max}</math> will be negative  Hence, Photoelectric emission is not possible.</p> <p>(b) According to Einstein Photoelectric equation  <math>K_{\max} = h(\nu - \nu_0)</math>  Hence <math>K_{\max} \propto \nu</math>  It shows <math>K_{\max}</math> depends upon frequency only and not depends upon intensity.</p> <p>(c) <math>eV_0 = h\nu - h\nu_0</math>  <math>V_0 = \frac{h}{e}\nu - \frac{h}{e}\nu_0</math>  This equation represents the equation of straight line (<math>y = mx + c</math>) with the slope <math>\frac{h}{e}</math>.</p>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	<p><b>3</b></p>
<p>28.</p>	<div style="border: 1px solid black; padding: 5px; margin-bottom: 10px;"> <p>(a) Majority and minority charge carriers in p-type and n-type semiconductor 2</p> <p>(b) Brief explanation for formation of diffusion current and drift current 1</p> </div> <p>(a) In p-type semiconductor  Majority charge carriers - holes  Minority charge carriers - electrons  In n-type semiconductors  Majority charge carriers - electrons  Minority charge carriers – holes</p> <p>(b) Diffusion current – during the formation of p n junction , and due to the concentration gradient across p and n – sides , holes diffuse from p side to n</p>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	

	<p>side (<math>p \rightarrow n</math>) and electrons diffuse from <math>n</math> – side to <math>p</math> – side (<math>n \rightarrow p</math>). This motion of charge carriers gives rise to diffusion current across the junction.</p> <p>Drift current –Due to electric field at junction, an electron on <math>p</math> – side of the junction moves to <math>n</math>- side and a hole on <math>n</math> – side of the junction moves to <math>p</math>-side. This motion of charge carriers due to electric field gives drift current.</p>	$\frac{1}{2}$	<b>3</b>
<b>SECTION-D</b>			
<b>29.</b>	<p>(i) (C) <math>\frac{2\epsilon_0 KL^2}{d}</math></p> <p>(ii) (B) <math>\frac{\epsilon_0 VKL^2}{d}</math></p> <p>(iii) (A) <math>\frac{V}{d}</math></p> <p>(iv) (a)</p> <p>(C) <math>\frac{d}{2K}</math></p> <p>OR</p> <p>(b)</p> <p>(D) Zero</p>	<b>1</b>	<b>1</b>
		<b>1</b>	<b>1</b>
		<b>1</b>	<b>4</b>
<b>30.</b>	<p>(i) (C) <math>\sqrt{\frac{Ke^2}{mr}}</math></p> <p>(ii) (B) <math>\frac{-Ke^2}{2r}</math></p> <p>(iii) (C) -2.48, 2.48</p> <p>(iv) (a)</p> <p>(D) <math>\frac{1}{n^3}</math></p> <p>OR</p> <p>(b)</p> <p>(C) <math>1.59 \text{ \AA}</math></p>	<b>1</b>	<b>1</b>
		<b>1</b>	<b>1</b>
		<b>1</b>	<b>4</b>

31.

(a)

- |   |   |
|---|---|
| (i) Finding electric field at a far off point ( $y \gg a$ ) | 3 |
| (ii) Calculation of work done in shifting the charges       | 2 |



Magnitude of electric field due to the two charges  $+q$  and  $-q$  are given by

$$E_{+q} = \frac{q}{4\pi\epsilon_0} \frac{1}{y^2 + a^2}$$

$$E_{-q} = \frac{q}{4\pi\epsilon_0} \frac{1}{y^2 + a^2}$$

Components normal to the dipole axis cancel out.

The components along the dipole axis add up.

The total electric field is opposite to the dipole moment will be given by-

$$\vec{E} = - (E_{+q} + E_{-q}) \cos \theta \hat{p}$$

$$= - \frac{2qa}{4\pi\epsilon_0 (y^2 + a^2)^{3/2}} \hat{p} \quad (\hat{p} \text{ is a unit vector along dipole moment})$$

At large distance ( $y \gg a$ )

$$\vec{E} = \frac{-2qa}{4\pi\epsilon_0 y^3} \hat{p}$$

1/2

1/2

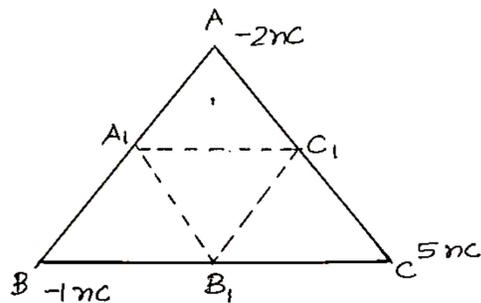
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1/2

(ii)



Initial electrostatic potential energy of the system

$$U_1 = \frac{1}{4\pi\epsilon_0} \left( \frac{q_A q_B}{AB} + \frac{q_C q_A}{AC} + \frac{q_C q_B}{BC} \right)$$

$$= \frac{9 \times 10^9}{0.2} [(-2 \times -1) + (-2 \times 5) + (-1 \times 5)] \times 10^{-18}$$

$$U_1 = -5.85 \times 10^{-7} \text{ J}$$

$$U_2 = \frac{1}{4\pi\epsilon_0} \left( \frac{q_{A_1} q_{B_1}}{A_1 B_1} + \frac{q_{C_1} q_{A_1}}{A_1 C_1} + \frac{q_{C_1} q_{B_1}}{B_1 C_1} \right)$$

$$U_2 = -11.7 \times 10^{-7} \text{ J}$$

$$W = U_2 - U_1 = -5.85 \times 10^{-7} \text{ J}$$

**OR**

(b)

(i)

- Showing consistency of Gauss's theorem with Coulomb's law 1
- Derivation for electric field due to uniformly charged thin spherical shell at (I)  $y > r$  (II)  $y < r$  2

(ii) Finding type and magnitude of charge 2

(i)

- Gauss's theorem is based on the inverse square dependence on distance contained in the coulomb's law.

**Alternatively-**

According to Gauss's theorem

1/2

1/2

1/2

1/2

1

$$\oint \vec{E} \cdot d\vec{s} = \frac{q}{\epsilon_0}$$

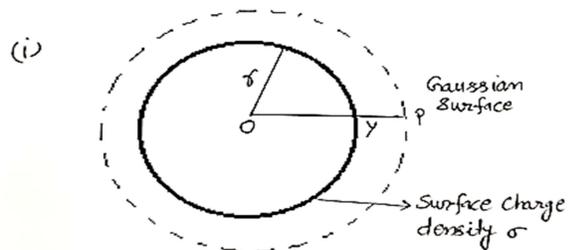
$$E = \frac{1}{4\pi\epsilon_0} \frac{q}{r^2}$$

According to Coulomb's law, force on charge  $q_0$  in this field

$$F = \frac{1}{4\pi\epsilon_0} \frac{qq_0}{r^2}$$

Therefore, Gauss's law is consistent with Coulomb's law

- (I) For  $y > r$



Electric flux through Gaussian surface  $E \times 4\pi y^2$

The charge enclosed by the surface  $\sigma \times 4\pi r^2$

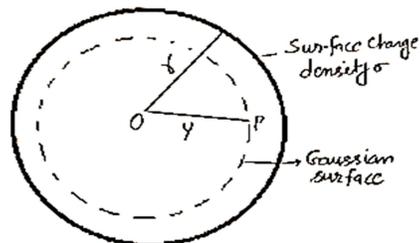
Using Gauss theorem

$$E(4\pi y^2) = \frac{\sigma 4\pi r^2}{\epsilon_0}$$

$$\vec{E} = \frac{q}{4\pi\epsilon_0 y^2} \hat{r}$$

- (II) For  $y < r$

(ii)

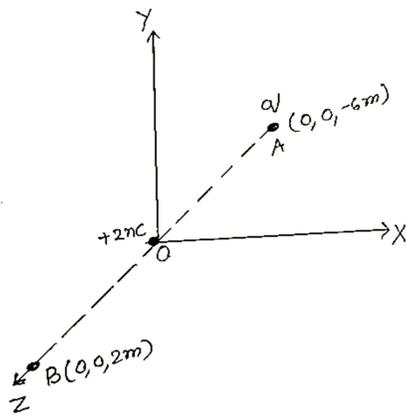


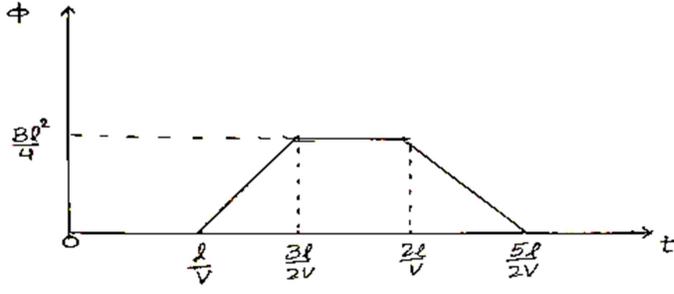
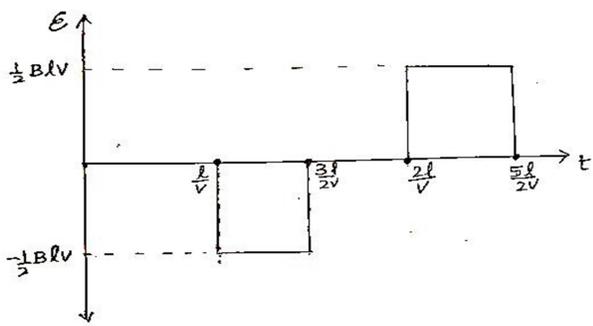
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	<p>The charge enclosed by Gaussian surface = 0  Using Gauss theorem  Electric flux = <math>E(4\pi r^2) = 0</math>  i.e. <math>E = 0</math> (<math>y &lt; r</math>)</p> <p>(ii)</p>  <p>Let the charge is kept at A be <math>q</math>  Potential at point B due to charge at the origin O and charge (<math>q</math>) at A</p> $V = V_1 + V_2$ $V = \frac{1}{4\pi\epsilon_0} \left[ \frac{2 \times 10^{-9}}{2} + \frac{q}{6+2} \right]$ $\frac{1}{4\pi\epsilon_0} \left[ 10^{-9} + \frac{q}{8} \right] = 0$ $q = -8 \times 10^{-9} \text{C}$	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	<p><b>5</b></p>
<p><b>32.</b></p>	<p>(a)</p> <p>(i)</p> <ul style="list-style-type: none"> <li>• Statement of Lenz's law <span style="float: right;"><math>\frac{1}{2}</math></span></li> <li>• Explaining, how this law is a consequence of law of conservation of energy <span style="float: right;"><math>\frac{1}{2}</math></span></li> </ul> <p>(ii)</p> <p>(I) Direction of induced current when loop enters and loop leaves <span style="float: right;"><math>\frac{1}{2} + \frac{1}{2}</math></span></p> <p>(II) Plots showing variation of magnetic flux (<math>\phi</math>) with time (t), <span style="float: right;">1</span>  induced emf (E) with time (t) and <span style="float: right;">1</span>  relevant values E, (<math>\phi</math>) and t on the graph <span style="float: right;">1</span></p>		

<p>Lenz's law – Polarity of the induced emf is such that it tends to produce a current, which opposes the change in magnetic flux that produces it.</p>	<p>1/2</p>	
<p>When magnet is moved closer/ away from the loop, same/ opposite pole is developed on the approaching face of the loop. So mechanical work is required to move a magnet which gets converted into electrical energy which is consistent with the law of conservation of energy.</p>	<p>1/2</p>	
<p>(ii) (I)</p> <ul style="list-style-type: none"> <li>• Anticlockwise</li> <li>• Clockwise</li> </ul>	<p>1/2 1/2</p>	
<p>(II)</p> 	<p>1 1/2</p>	
	<p>1 1/2</p>	
<p><b>OR</b></p>		
<p>(b)</p>		
<p>(i) Difference between Peak value and rms value of ac Relation</p>	<p>1 1/2</p>	
<p>(ii) (I) Identification of elements X and Y by phasor diagram (II) Obtaining</p> <ul style="list-style-type: none"> <li>• Resonance condition</li> <li>• Expression for resonant frequency</li> <li>• Impedance value</li> </ul>	<p>1 1 1 1/2</p>	

(i)

Peak value - It is the maximum value of Alternating current.

rms value – It is the equivalent dc current that would produce the same average power loss as alternating current.

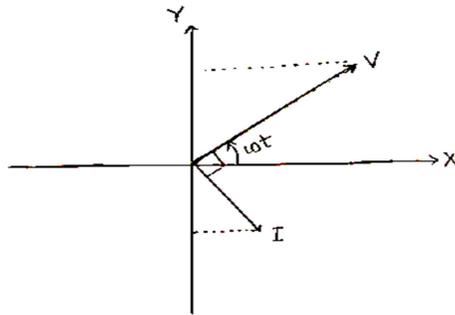
**Alternatively-**

Peak value - It is the maximum value of Alternating current.

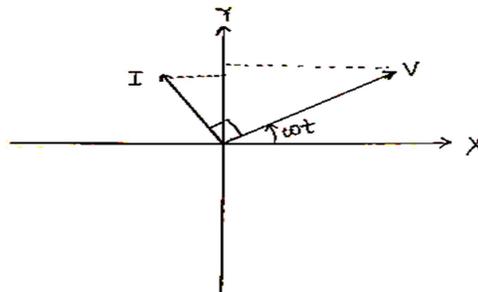
rms value- It is the effective value of an ac representing the equivalent dc, that would produce the same heating effect in same resistor in same time period.

Relation  $I_{\text{rms}} = \frac{I_0}{\sqrt{2}}$

(ii) (I) X- Inductor (L)



Y- Capacitor (C)



1

1/2

1/2

1/2

	<p>(II) Impedance of the circuit</p> $Z = (X_L - X_C)$ <p>At resonance <math>Z = 0</math></p> $X_L = X_C$ $\omega L = \frac{1}{\omega C}$ $\omega^2 = \frac{1}{LC}, \quad \omega = \frac{1}{\sqrt{LC}}$ $v = \frac{1}{2\pi\sqrt{LC}}$ <p>Impedance at resonance <math>Z = 0</math></p>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	<p><b>5</b></p>								
<p><b>33.</b></p>	<p><b>(a)</b></p> <table border="1" data-bbox="264 919 1227 1087"> <tr> <td>(i) Calculation of focal length of concave lens</td> <td>3</td> </tr> <tr> <td>(ii) Calculation of</td> <td></td> </tr> <tr> <td>• Angle of minimum deviation</td> <td>1</td> </tr> <tr> <td>• Angle of incidence</td> <td>1</td> </tr> </table> <p>For real image form by Convex lens</p> $\frac{1}{f_1} = \frac{1}{v_1} - \frac{1}{u_1}$ $\frac{1}{10} = \frac{1}{v_1} - \frac{1}{(-30)}$ <p><math>v_1 = 15 \text{ cm}</math></p> <p>For Combination of lenses, let the focal length of combination of lens is <math>f_3</math></p> $\frac{1}{f_3} = \frac{1}{v_3} - \frac{1}{u_3}$ $\frac{1}{f_3} = \frac{1}{(15+45)} + \frac{1}{30}$ <p><math>f_3 = 20 \text{ cm}</math></p> <p>Let the focal length of concave lens is <math>f_2</math></p> $\frac{1}{f_3} = \frac{1}{f_1} + \frac{1}{f_2}$ $\frac{1}{f_2} = \frac{1}{20} - \frac{1}{10}$	(i) Calculation of focal length of concave lens	3	(ii) Calculation of		• Angle of minimum deviation	1	• Angle of incidence	1	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	
(i) Calculation of focal length of concave lens	3										
(ii) Calculation of											
• Angle of minimum deviation	1										
• Angle of incidence	1										

<p><math>f_2 = -20\text{cm}</math></p> <p>(ii) Angle of minimum deviation</p> $\mu = \frac{\sin \frac{(A + \delta_m)}{2}}{\sin \frac{A}{2}}$ $\sqrt{3} = \frac{\sin \frac{(60^\circ + \delta_m)}{2}}{\sin 30}$ $\frac{\sqrt{3}}{2} = \sin \frac{(A + \delta_m)}{2}$ $60^\circ = \frac{(A + \delta_m)}{2}$ $\delta_m = 60^\circ$ <p>Angle of incidence</p> $i + e = A + \delta$ $2i = A + \delta_m$ $i = \frac{A + \delta_m}{2}$ $i = 60^\circ$ <p style="text-align: center;"><b>OR</b></p> <p>(b)</p>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	
<p>(i)</p> <p>(I) Finding the slit separation <span style="float: right;">1½</span></p> <p>(II) Calculation of distance between central maximum and first minimum <span style="float: right;">1½</span></p> <p>(ii) Calculation of distance between first order minima on both sides of central maxima <span style="float: right;">2</span></p>		
<p>(i)</p> <p>(I) Slit separation</p> $\beta = \frac{D\lambda}{d}$	<p><math>\frac{1}{2}</math></p>	

$d = \frac{D\lambda}{\beta}$ $= \frac{633 \times 10^{-9} \times 5}{5 \times 10^{-3}}$ $= 633 \times 10^{-6} \text{ m}$ $= 633 \mu\text{m}$			
(II) Distance of first minimum from central maximum			
$x_n = \frac{(2n-1)\lambda D}{2d}$		$\frac{1}{2}$	
n = 1			
$x = \frac{633 \times 10^{-9} \times 5}{2 \times 5 \times 10^{-3}}$		$\frac{1}{2}$	
x = 316.5 × 10 <sup>-6</sup> m		$\frac{1}{2}$	
x = 316.5 μm			
(ii) Distance between first order minima on both the side			
$W = \frac{2D\lambda}{d}$		$\frac{1}{2}$	
$= \frac{2 \times 650 \times 10^{-9}}{0.6 \times 10^{-3}} \times 60 \times 10^{-2}$		<b>1</b>	
= 1.3 × 10 <sup>-3</sup> m		$\frac{1}{2}$	<b>5</b>